

The following slides are taken from, and discussed at, this excellent blog post:

<https://scientistseessquirrel.wordpress.com/2018/10/02/presenting-statistical-results-pointers-in-scientific-writing/#foot1>

“ $P < 0.05$ ” or “ $P = 0.022$ ”?

- Next three issues are closely related. How do you report, discuss P value?
 - Some papers only indicate $P < 0.05$ or $P > 0.05$
 - This is based on a “line in the sand” philosophy of interpreting P : one should set alpha, and then care only about whether P is smaller than alpha.
 - BUT: many statisticians see the magnitude of P as indicating strength of evidence; if so, then $P = 0.04$ and $P = 0.000004$ tell us different things...
... even though both are “ $P < 0.05$ ” (more about this later)
1. Exact P -values can be used in meta-analysis
e.g., Fisher’s method for combining P -values (<https://wp.me/p5x2kS-qo>)
 2. A “line in the sand” reader may prefer a different line in the sand (e.g. $\alpha = 0.01$)
 3. A “line in the sand” reader can always ignore the exact value of P ;
but a strength-of-evidence reader can’t infer the exact value from “ $P < 0.05$ ”.

$$P = 0.007 \begin{array}{c} \xrightarrow{\text{easy}} \\ \xleftarrow{\text{hard}} \end{array} P < 0.05$$

“ $P = 0.037$ ” or “ $P = 0.022823511$ ”?

- To what precision should you report P ? (See <https://wp.me/p5x2kS-oN>)
- I frequently see manuscripts reporting “ $P = 0.022823511$ ”. Do those 1’s matter?
- This is a special case of a larger issue with “significant digits” in scientific writing

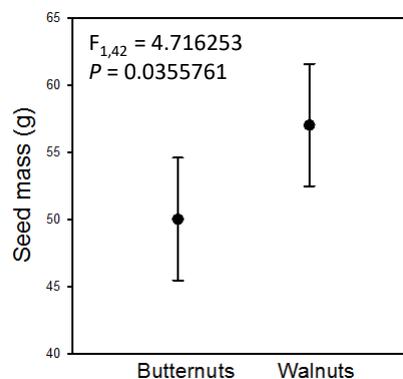
- For stats: think about
 - (1) data-significant digits
 - (2) reader-significant digits
- Usually, 2 or at most 3 significant digits

$$F_{1,42} = 4.72, P = 0.0356$$

or

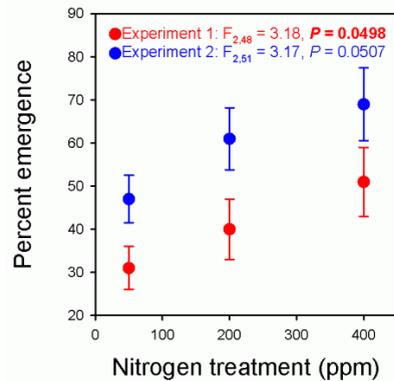
$$F_{1,42} = 4.7, P = 0.036$$

- OK, but what if $P = 0.049999999999$?



What about $P = 0.051$?

- What do you do with $P = 0.051$?
 - “nearly significant”?
 - “marginally significant”?
 - “trending toward significance”?
- Many people have strong, but poorly justified, opinions on this...
- Two alternative views of the P -value:
 - line-in-the-sand, or “absolutist”
 - strength-of-evidence, of “continualist”



What about $P = 0.051$?

- In the 1930s, Fisher and Neyman feuded, in part over line-in-the-sand vs. strength-of-evidence interpretation of P .
- Result was a tangled literature full of very strong statements...
- Strength-of-evidence view comes from Fisher’s original insight that $P(\text{apparent pattern} | \text{no real effect})$ indicates evidence against the null *in a single experiment*.
- Line-in-the-sand view comes from the application of stats to “process control”: batches of manufactured product must be accepted or rejected as they come off an assembly line.
- Line-in-the-sand view happens to line up easily with superficial readings of Popper.

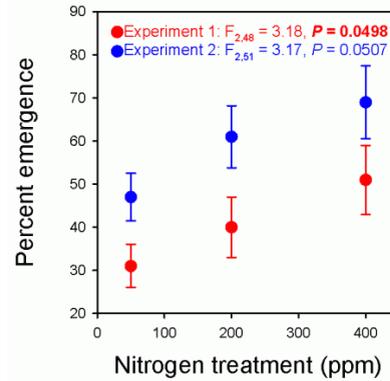


What about $P = 0.051$?

- Here's the thing: $P = 0.049$ and $P = 0.051$ aren't meaningfully different outcomes
 - statistically
 - logically
- So go ahead:

"There were fewer loopers in sprayed plots, and the difference was nearly significant/marginally insignificant/etc. ($P = 0.051$)"

- But expect to get pushback.



(More discussion: <https://wp.me/p5x2kS-cR>)

Stats first or pattern first?

Awful:

"The Welch's t-test produced significant results ($t = 2.77$, $df=9$, $P = 0.022$); see Figure 1"

Bad:

"The Welch's t-test produced significant results ($t = 2.77$, $df=9$, $P = 0.022$), with a difference in looper density (Figure 1) between sprayed and unsprayed plots"

Better:

"There was a significant difference in looper density (Figure 1) between sprayed and unsprayed plots (Welch's t-test, $t = 2.77$, $df=9$, $P = 0.022$)"

Good:

"Spraying reduced looper densities by about 23% (Figure 1; $t_{(9)} = 2.77$, $P = 0.022$)"

Whose job is it to tell the story - the writer's or the reader's?
 (Do "the data speak for themselves"?)